

![](_page_0_Figure_2.jpeg)

![](_page_1_Figure_1.jpeg)

Breaking H-bonds requires the addition of <u>enthalpy</u> .
For ice $\Delta H_{Melting} = +6 \text{ kJ/mol}$
So why does water melt so easily at 25°C?
Because the liquid is more disordered than the solid and $T\Delta S_{melt} > \Delta H_{melt}$ .
In fact, at 25°C: $T\Delta S_{melt} = 6.6 \text{ kJ/mol}$ $\Delta H_{melt} = 6.0 \text{ kJ/mol}$ and $\Delta G_{melt} = \Delta H_{melt} - T\Delta S_{melt} = -0.6 \text{ kJ/mol}$
So melting is an <u>entropy-driven</u> processes.

![](_page_2_Figure_1.jpeg)

![](_page_2_Figure_2.jpeg)

![](_page_3_Figure_1.jpeg)

![](_page_3_Figure_2.jpeg)

![](_page_4_Figure_1.jpeg)

The entropy of water is reduced, disfavouring dissolution of hydrocarbons in water.  $-\Delta S$ 

This is called the "Hydrophobic Effect".

<u>Amphipathic</u> molecules contain both polar and non-polar groups. *E.g.* detergents, lipids, proteins, nucleic acids.

Their lowest free energy states have hydrophobic groups clustered together away from the water, raising the water S.

They help organize detergent micelles, membranes, proteins, and DNA.

![](_page_5_Figure_1.jpeg)

![](_page_5_Figure_2.jpeg)

Other interactions can occur with the ionized forms of water.  $H_2O \longrightarrow OH^- + H^+$   $K_{eq} = \frac{[H^+][OH^-]}{[H_2O]} = 1.8 \times 10^{-16} \text{ M} @ 25^{\circ}\text{C}$   $[H_2O] = 55.5 \text{ M} (\text{moles / L})$ So  $(K_{eq} \times 55.5) = [H^+][OH^-] = 10^{-14} \text{ M}^2 = K_W$ Knowing two, you can solve for the third. A convenient way to express  $[H^+]$  is pH.  $pH = -\log_{10}[H^+]$ 

water: $[H^+] = 10^{-7}$ Molar	[OH®]	[OH <sup>©</sup> ] to pH		
$o[10^{-7}] = -(-7) = 7 = pH$	pH	(H⊕) (M)	OH <sup>⊕</sup>   (M)	
	0	21.1	10-14	
	1	10 <sup>-±</sup>	10-13	
$\text{OOH} = -\log_{10}[\text{OH}^-]$	2	10-2	10-12	
	3	10-1	10-11	
-	4	10-4	10-10	
n pure water $- [OH^-] = 10^{-7} Molar$	5	10-5	10-9	
	6	10-4	10-8	
	7	10-7	10-7	
$g_{10}[10^{-7}] = -(-7) = 7 = pOH$	8	10-*	10-0	
	9	10-*	10-+	
	10	1010	10-4	
= pOH we say	11	10-11	10-)	
water is "neutral"	12	10-14	10-2	
ivuti ui	13	50-13	10-1	

![](_page_7_Figure_1.jpeg)

![](_page_7_Figure_2.jpeg)

![](_page_8_Figure_1.jpeg)

$\begin{array}{c} \text{eq} & \underline{1  \text{II}} \\ \text{[HA]} \\ \text{W} & \vdots & 1 \\ \end{array}$		1 11	1
K <sub>a</sub> is the acid d	issociation constant. $pK_a$	$= -\log_{10}[K]$	a
The weakest ac	cids have the largest pK <sub>a</sub> 's. <b>TABLE 2.4</b> Dissociation constants and pA solutions at 25°C	, values of weak acid	s in aqueous
	Acid	<i>K</i> ,000	pÆ,
The pK <sub>a</sub> of	HCOOH (Fornic acid)	$1.77 \times 10^{-4}$	3.8
acetic acid is	CH3COOH (Acetic acid)	$1.76 \times 10^{-9}$	4.8
	CH <sub>3</sub> CH0HCOOH (Lactic acid)	$1.37\times10^{-4}$	3.9
4.76, the pK <sub>a</sub>	H <sub>3</sub> PO <sub>4</sub> (Phosphoric acid)	$7.52 \times 10^{-3}$	2.2
of ammonia is	H2PO4 (Diffydrogen phosphate ion)	$6.23\times 10^{-8}$	7.2
0 <b>0</b> 5	HPO4 (Monohydrogen phosphate ion)	$2.30 \times 10^{-13}$	12.7
9.25.	H2CO3 (Carbonic acid)	$4.30\times10^{-7}$	6.4
	HCOj <sup>⊕</sup> (Bicarbonaie ion)	$5.60 \times 10^{-11}$	10.2
	And the second second second second	\$ 62 × 10 <sup>-01</sup>	9.2
	NH4 <sup>10</sup> (Amnosture (08)	(1000 CO. 100 CO.	

![](_page_9_Figure_1.jpeg)

![](_page_9_Figure_2.jpeg)

![](_page_10_Figure_1.jpeg)

Remember,
$$\mathcal{K}_{a} = \frac{[\mathcal{H}^{+}][\mathcal{A}^{-}]}{[\mathcal{H}\mathcal{A}]}$$
 $[\mathcal{H}^{+}] = \frac{\mathcal{K}_{a}[\mathcal{H}\mathcal{A}]}{[\mathcal{A}^{-}]}$ So when  $[HA] = [A^{-}]$ ,  $[H^{+}] = K_{a}$  and  $pH = pK_{a}$ Near the end of the curve, when there is no more HA to ionize, the pH will rise sharply.The same graph could have been produced by adding HCl (a strong acid) to a solution of sodium acetate, the conjugate base of acetic acid (a weak base).Features of titration curves.1. At the ends of the curves small additions of acid and base result in large changes in pH.

2. In the middle, small additions of strong acid or base cause small changes in pH. The region where  $pH = pK_a$  is called the **buffering region**.

A **<u>Buffer</u>** is a mixture of WA and CB that resists changes in pH when small additions of strong acid or base are added.

How does it work? Near the  $pK_a$  [WA] ~ [CB].

The WA can neutralize added OH<sup>-</sup>, and the CB can neutralize added  $H^+$ .

Cells require buffers because high concentrations of  $H^+$  and  $OH^-$  can break covalent bonds.

![](_page_11_Figure_6.jpeg)

We can re-write  $[H^+] = \frac{K_a[HA]}{[A^-]}$  in terms of pH and pK<sub>a</sub>  $pH = pK_a - \log_{10} \{\frac{[HA]}{[A^-]}\}$ Or  $pH = pK_a + \log_{10} \{\frac{[A^-]}{[HA]}\}$ Using this <u>Henderson-Hasselbach Equation</u> we can calculate the pH of a WA-CB pair if we know their ratio and the pK<sub>a</sub>. WA-CB pairs buffer well as long as:  $\frac{1}{10} < \frac{[CB]}{[WA]} < \frac{10}{1}$ 

$$pH = pK_a + \log_{10} \left\{ \frac{[1]}{[10]} \right\} = pK_a - 1.0$$
$$pH = pK_a + \log_{10} \left\{ \frac{[10]}{[1]} \right\} = pK_a + 1.0$$

For acetic acid the range is: 3.76 to 5.76.

**Example Calculation**: What is the pH of a 20 mL solution of 0.1 M Tris base (RNH<sub>2</sub>) after addition of 10 mL of 0.1 M HCl? The  $pK_a = 8.1$ 

First we calculate that we have 2 mmoles of Tris base and 1 mmole of HCl.

The reaction will be:  $2 \text{RNH}_2 + 1 \text{HCl} \longrightarrow 1 \text{RNH}_2 + 1 \text{RNH}_3^+ + 1 \text{Cl}^-$ The above means that 1 mmole of strong acid has neutralized 1 mmole of conjugate base giving 1 mmole of WA and 1 mmole of CB. From HH:  $pH = 8.1 + Log\{\frac{1mmol/30ml}{1mmol/30ml}\}$ So pH = 8.1 + 0 = 8.1